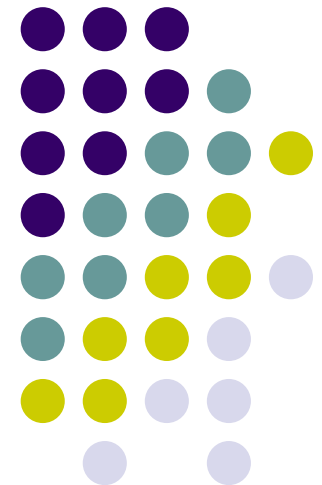
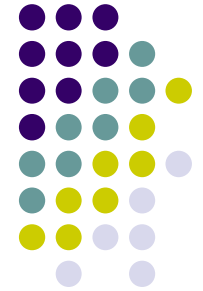


Kademlia: A Peer-to-peer Information System Based on the XOR Metric

Review

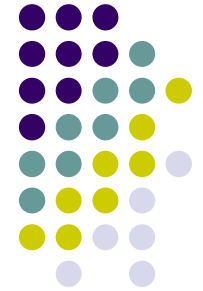




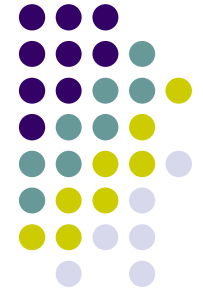
Overview

- Kademlia
 - a peer-to-peer, DHT, $\langle \text{key}, \text{value} \rangle$ storage and lookup system
- Features
 - Configuration information (routing maintenance) spreads automatically as a side-effect of key lookups
 - Uses parallel, asynchronous queries to avoid timeout delays from failed nodes

Description: nodes, and keys

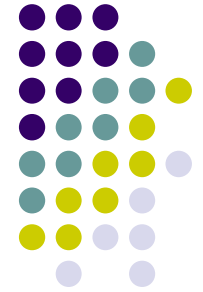


- Each Kademlia node has a 160-bit node ID
- A node chooses a random, 160-bit identifier when joining the system
- Every message a node transmits includes its node ID, permitting the recipient to record the sender's existence
- Keys of items: $\langle \text{key}, \text{value} \rangle$ are also mapped to 160-bits identifiers



Hashing and distance

- Nodes and Keys are mapped to **m-bit binary** strings
- Given two 160-bit identifiers, x and y ,
 - The distance between them is defined as their bitwise exclusive or (XOR) interpreted as an integer:
 -
 - $d: \text{Id} \times \text{Id} \Rightarrow \mathbf{I}$
 - $d(x,y) = x \oplus y$

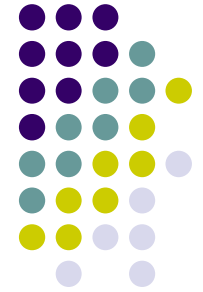


Hashing and distance (Example)

- XOR: \oplus
 - 1 if two bits are different 0 if two bits are the same
- $x = \quad \quad \quad 0\ 1\ 0\ 1\ 1\ 0 \quad \quad \quad (22)$
- $y = \quad \quad \quad 0\ 1\ 1\ 0\ 1\ 1 \quad \quad \quad (27)$
- $x \oplus y = \quad \quad 0\ 0\ 1\ 1\ 0\ 1 \quad \quad \quad (13)$
- $d(x,y) = 13$
- If x and y agree on most significant $(n - i)$ bits, then,
 $2^i \leq d(x,y) \leq 2^{i+1}-1, i=(0..n-1),$
- $i=3, 2^3 = 8 \leq 13 \leq 2^4-1 = 15$

$$\begin{aligned}x &= 0\ 1\ 0\ 1\ 1\ 0 \\y &= 0\ 1\ 1\ 1\ 1\ 0 \\x \oplus y &= 0\ 0\ 1\ 0\ 0\ 0 \\d(x,y) &= 8\end{aligned}$$

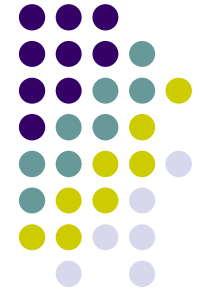
$$\begin{aligned}x &= 0\ 1\ 0\ 1\ 1\ 0 \\y &= 0\ 1\ 1\ 0\ 0\ 1 \\x \oplus y &= 0\ 0\ 1\ 1\ 1\ 1 \\d(x,y) &= 15\end{aligned}$$



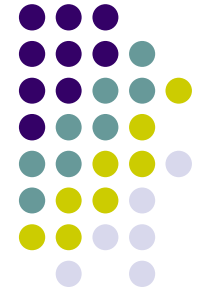
XOR is metric space

- $d(x,x) = 0$
- $d(x,y) > 0$ if $x \neq y$
- $\forall x,y : d(x,y) = d(y,x)$ (symmetry)
- $\forall x,y,z: d(x,z) \leq d(x,y) + d(y,z)$ (Triangular inequality)
 - $d(x, z) = d(x,y) \oplus d(y,z)$
 - $\forall a \geq 0, b \geq 0 : a + b \geq a \oplus b$

Kademlia – Routing table

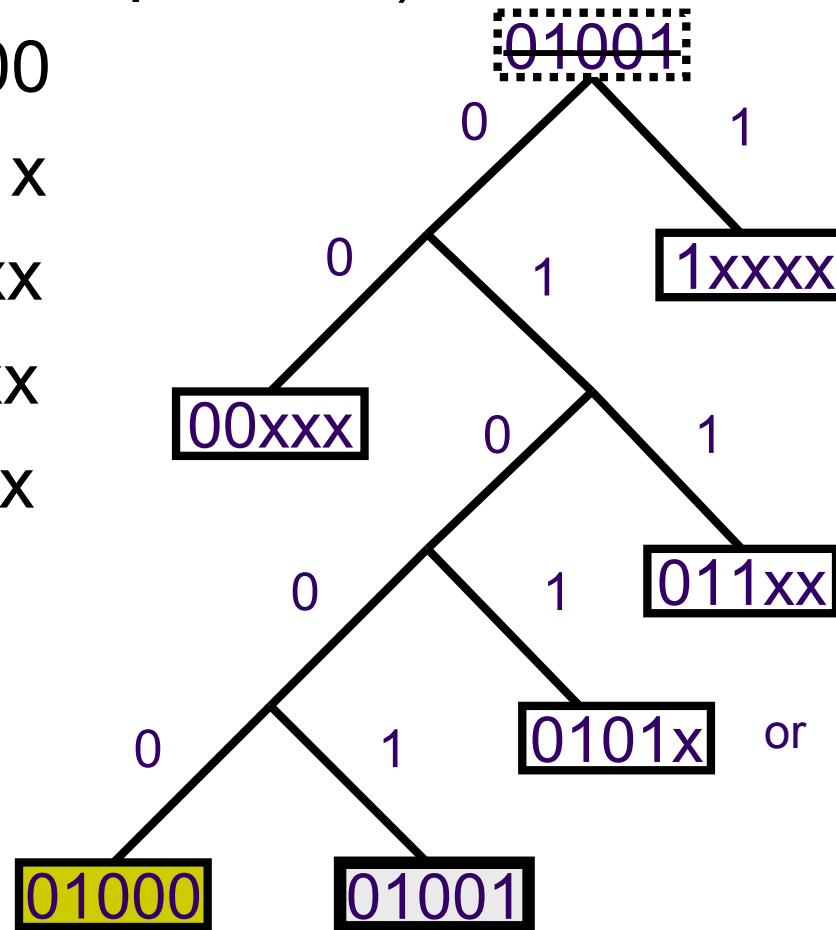


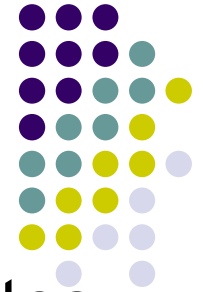
- For each $0 \leq i < 160$, every node keeps a list of (IP-address; UDP port; Node ID) triples for nodes of distance between 2^i and 2^{i+1} from itself
- $2^0, 2^1, 2^2, 2^3, 2^4, 2^5, \dots, 2^{159}$
- Each list is called a **bucket** and stores at most k triples
 - a k -bucket stores at most k nodes that are at distance $[2^i, 2^{i+1})$
 - Empty bucket if no nodes are known
 - Each k -bucket is kept sorted by time last seen



Kademlia – Routing table $k = 1$

- Node 01001 (identifier space 64)
- Distance $[2^0, 2^1)$: 01000
- Distance $[2^1, 2^2)$: 0101x
- Distance $[2^2, 2^3)$: 011xx
- Distance $[2^3, 2^4)$: 00xxx
- Distance $[2^4, 2^5)$: 1xxxx





Kademlia – Updating buckets

- Whenever a node receives any message, it updates the appropriate k-bucket by sender's information
- If the bucket is full the least-recently node is removed **if** it is not live
- keeping the oldest live contacts around, k-buckets maximize the probability that the nodes they contain will remain online.

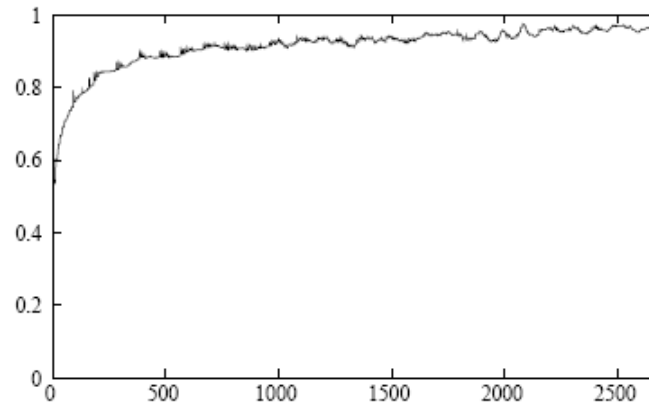
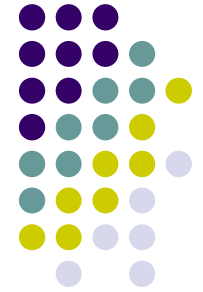
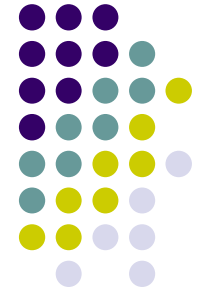


Figure 1: Probability of remaining online another hour as a function of uptime. The x axis represents minutes. The y axis shows the the fraction of nodes that stayed online at least x minutes that also stayed online at least $x + 60$ minutes.



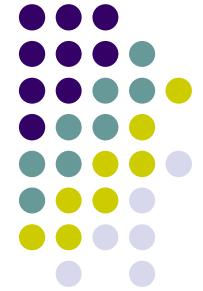
Kademlia Protocol

- Consists of four RPCs:
 - PING, STORE, FIND NODE, and FIND VALUE
- The PING probes a node to see if it is online
- STORE instructs a node to store a $\langle \text{key}; \text{value} \rangle$ pair for later retrieval
- FIND NODE(ID): The recipient of a the RPC returns triples for the k nodes it knows about closest to the target ID
- FIND VALUE(ID): similar to FIND NODE except that it returns the value if previously stored



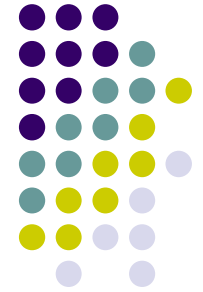
Kademlia – Node lookup

- The lookup process is **iterative**: everything is controlled by the initiator node
 1. query in **parallel** the α ($\alpha = 3$) nodes closest to the query ID
 2. nodes return the k ($k = 20$) nodes closest to the query ID
 3. go back to step 1, and select the α nodes from the new set of nodes
 4. Terminate when you have the k closest nodes
- Key lookups are done in a similar fashion, but they terminate when the key is found
 - the requesting node caches the key locally.



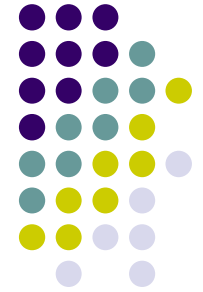
Kademlia – Other operations

- Refresh
 - periodically, all k-buckets are refreshed by making a query for a value within the bucket
- Node Joins
 - contact a participating node and insert it in the appropriate bucket
 - perform a query for your own ID
 - refresh all buckets



Kademlia – Lookups

- **Invariant:** If there exists some node with ID within a specific range then the k-bucket is not empty
 - if the invariant is true, then the time is logarithmic
 - we move one bit closer each time
- Due to refreshes the invariant holds with high probability



Kademlia - Properties

- Easy table maintenance. Tables are updated when lookups are performed
 - due to XOR symmetry a node receives lookups from the nodes that are in its own table
- Fast lookup by making parallel searches
 - at the expense of increased traffic.